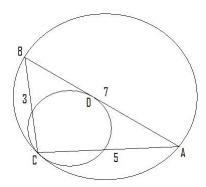




Geometry B

- 1. A pirate ship spots, 10 nautical miles to the east, an oblivious caravel sailing 60° south of west at a steady 12 nm/hour. What is the minimum speed that the pirate ship must maintain at to be able to catch the caravel?
- 2. A black witch's hat is in the classic shape of a cone on top of a circular brim. The cone has a slant height of 18 inches and a base radius of 3 inches. The brim has a radius of 5 inches. What is the total surface area of the hat?
- 3. Suppose that ABCD is a rectangle with sides of length 12 and 18. Let S be the region of points contained in ABCD which are closer to the center of the rectangle than to any of its vertices. Find the area of S.
- 4. ABCDE is a regular pentagon (with vertices in that order) inscribed in a circle of radius 1. Find $AB \cdot AC$.
- 5. Four circles of radius 1 are each tangent to two sides (line segments) of a square and externally tangent to a circle of radius 3. What is the area of the space that is inside the square but not contained in any of the circles?
- 6. Triangle ABC has AC = 3, BC = 5, AB = 7. A circle is drawn internally tangent to the circumcircle of ABC at C, and tangent to AB. Let D be its point of tangency with AB. Find BD DA.



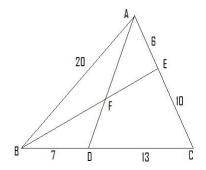
- 7. A,B,C, and D are all on a circle, and ABCD is a convex quadrilateral. If AB = 13, BC = 13, CD = 37, and AD = 47, what is the area of ABCD?
- 8. Points P_1 , P_2 , P_3 , and P_4 are (0,0), (10,20), (5,15), and (12,-6), respectively. For what point $P \in \mathbb{R}^2$ is the sum of the distances from P to the other 4 points minimal?





Geometry B

9. Find $\frac{area(CDF)}{area(CEF)}$ in the figure.



10. A and B are on a circle of radius 20 centered at C, and $\angle ACB = 60^{\circ}$. D is chosen so that D is also on the circle, $\angle ACD = 160^{\circ}$, and $\angle DCB = 100^{\circ}$. Let E be the intersection of lines AC and BD. What is DE?